Mathematical Physics 1	Tanta University
First term exam 2021	Faculty of Science
Prof. Dr. Atef Elbendary	Physics Department
Time: 2 Uhr,	Level 2: Physics, Biophysics, Material
Date: 15/3/2021	Program
	Corse code: PH 2\6

# Q1: Choose the correct answer (50 degree)

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- 1- Solution of  $y = x^2 + c$  is
  - (a) Y=2x+c
  - (b) Y=2x+cx
  - (c)  $Y = x^3/3 + c$
  - (d) Y=2x
- 2- Solution  $Y = cx^2$  is
  - (a) y=2y/x
  - (b) y'=2xy
  - (c)  $y'=xy^2/2$
  - (d) y = 2x/y
- 3- solution of  $y^2 = e^{2x} + c$  is
  - (a)  $y' = e^{2x}$
  - (b)  $y y' = e^{2x}$
  - (c)  $y' = 2e^x$
  - (d) x y = y
- 4- solution of  $y=c e^{xk}$  is
  - (a) y' = kx
  - (b)  $y'=e^{xk}$
  - (c) y' = ky
  - (d) y' = kxy

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5- solution of  $y=a \sin 2x + b \cos 2x$  is

- (a)  $Y''=2x \sin 2x$
- (b)  $Y'=2x \cos 2x$
- (c)  $Y''=\sin 2x + \cos 2x$
- (d) Y''+4y=0

6- solution of  $y= a e^{2x} + b e^{-2x}$  is

- (a)  $y'' = e^{2x}$
- (b) y y``=  $e^{2x}$
- (c)  $y'' = 2e^x$
- (d) y``- 4y=0

7- solution of  $y=x+a \sin 2x$  is

- (a)  $Y'=2x \sinh 2x$
- (b)  $Y''=2x \cos 2x$
- (c) Y'' + 4y = 4x
- (d) Y'= $\sin 2x + \cos 2x$

8- Solution of  $xy = \ln y + c$  is

- (a)  $Y'=e^x$
- (b)  $y' = y^2/1 xy$
- (c)  $y' = e^x + y$
- (d) y' = 1 + xy

9- Solution of y' = 2xy is

- (a)  $xy = \ln y + c$
- (b)  $y=y^2/x$
- (c)  $\ln y = x^2 + c$
- (d) y=1+xy

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10- solution of  $y=a e^{2x}$  is

(a) 
$$y'' = e^{2x}$$

(b) 
$$y'' = 4ae^{2x}$$

(c) 
$$y'' = 2e^x$$

(d) 
$$y^-4x=0$$

Q2: Solve the following, (50 degree)

1- 
$$x^5 y' + y^5 = 0$$

2- 
$$X y' + y = x^4 y^3$$

3- 
$$X y = (1-4x^2) \tan y$$

4- 
$$X y^2 - y' x^2 = 0$$

5- 
$$Y'+xy=xy^4$$

With my best wishes, Prof. Dr. Atef Elbendary

### **TANTA UNIVERSITY FACULTY OF SCIENCE** DEPARTMENT OF PHYSICS **EXAMINATION OF (LEVEL TWO) STUDENTS OF PHYSICS** COURSE TITLE: Mathematical physics **COURSE CODE: PH 2262** DATE: TERM: FINAL 3 \1\2021 **TOTAL ASSESSMENT MARKS:100 TIME ALLOWED: 2HOURS**

### Answer the following questions:

### First question:- (25Marks)

- (i) Fined the value of x, y, in the following;  $\Gamma(x+1) = 6$ ,  $\beta(y,1) = 1$ ,
- (ii) Prove that  $\int_0^{\frac{\pi}{2}} \sin^7 x \cos^4 x \, dx \neq 2,$

(15 Marks)

(iii)Fined the temperature T by using Bessel Function if the gradient temperature given by the following equation,

$$x^{2}(d^{2}T/dx^{2})+x(dT/dx)+(T^{2}-1/4)x=0,$$

(10 Marks)

### Second question: (25 Marks)

(i) By observe that y = x is a solution, solve the following

$$y'' - [(x + 2)/x]y' + [(x + 2)/x^2]y = x e^x$$
 (15 Marks)

(ii) Solve

$$y'' - y = e^{2x}$$

(10 Marks)

### Third question: (30 Marks)

Solve (i) 
$$y//+3y/+2y = e^x$$

(ii) 
$$\Gamma(1/4) \Gamma(3/4) = ??$$

(iii) 
$$\beta(x,y)$$
 at  $x=5$ ,  $y=6$ 

# Fourth question: (20 marks)

The equation describes the current at electric circuit containing R, L, C is given by  $L(d^2 I/d t^2) + R(d I/d t) + I/C = 0$ , solve this equation to find the condition of oscillation and condition of damping system with no oscillation.

EXAMINERS	Prof. DR. Atef Elbendary

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<b>A</b> (2, (8,1))		TANTA UI	NIVERSITY- Faculty of Science -Departme	ent of Physics	
	EXAM FOR LEVEL TWO STUDENTS OF BIO AND GEOPHYSICS				
	COURSE TITLE	E	lectromagnetism 1	COURSE CODE: 2184	
DATE:	2020/2021	TERM: FIRST	TERM: FIRST TOTAL ASSESSMENT MARKS: 100 TIME ALLOWED: 2HOURS		

### 1- First Question:

[25Marks]

The vertices of a triangle are located at A(6, -1, 2), B(-2, 3, -4), and C(-3, 1, 5); Find:

- (a)  $R_{AB}$ ;
- (b) R<sub>AC</sub>;

(c) The angle  $\theta_{BAC}$  at vertex A;

(d) The vector projection of  $R_{AB}$  on  $R_{AC}$ ;

(e) $R_{AR} \times R_{AC}$ ;

- (f) The area of the triangle;
- (g) A unite vector perpendicular to the plan in which the triangle is located.

### Second Question:

[30Marks]

- 1- Transform to cylindrical coordinates  $F = 10a_x 8a_y + 6a_z$  at point (10, -8, 6);
- 2- Give the Cartesian components of the vector  $H = 20a_{\rho} 10a_{\phi} + 3a_{z}$  at P(x=5, y=2, z=-1).
- 3- Write down the equation of:
- a) The vector form of electric force acts along the line joining the two charges  $Q_1$  of position vector  $r_1$  and  $Q_2$  of position vector  $r_2$ .
- b) The electric field at a point P(x, y, z) due to the two point charges  $Q_1$  and  $Q_2$ .
- c) The electric field at a point P(x, y, z) due to the n number of point charges  $(Q_1, Q_2, ...., Q_n)$ .

### Third Question:

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Point charges of 50nC each are located at A(1, 0, 0), B(-1, 0, 0), C(0, 1, 0), and D(0, -1, 0) in free space. Find the total force on the charge at A.

### Fourth Question:

[25Marks

- 1- State the following:
  - a) Faraday's experiments;
  - b) The concept of electric flux density.
  - c) Gauss's Law.
- 2- Find the electric field due to uniform line charge distribution.

EXAMINER	ASSOC. PROF. REDA EL-SHATER
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# Tanta University - Faculty of Science - Department Of Physics

# Examination For 2<sup>nd</sup> Level Students Of Chemistry Group

(Credit Hour System)

Course Title:	Crystallogra	phy And X-Ray	Course Code :PH2191
Date: 8March 2021	Term First	Total Assessment	Time Allowed:
		Marks :50	2Hours

(Answer the following questions)

The first question (12.5 Marks)

a-Define and illustrate by drawing each of the following:-

1-the crystal lattice

2-the unit cell

3-zones and zone axes

4-the axis of two fold rotation

5-the plane of symmetry. 6-the center of symmetry

The second question (12.5 Marks)

a-determine the indices of a face which lies in two zone [1 1 1] and [1 0 1]

b-explain by drawing the formation of

1-ionic crystals

2-valance crystals

The third question (12.5 Marks)

a- Show by drawing how the x-rays are produced by the gas-filled types and write four of its characteristics.

b-show how the two types of X-Ray spectra are produced

The fourth question (12.5 Marks)

a-Explain how the x-rays scattered from a series of atomic planes and drive the equation of Bragg's law

b-X-rays with wavelength 1.54 A° are reflected from the (110)

plane of cubic crystal with unit cell a= $6A^{\circ}$  calculate the Bragg angle  $\theta$  for the order n=1



### TANTA UNIVERSITY FACULTY OF SCIENCE DEPARTMENT OF PHYSICS

EXAMINATION FOR FRESHMEN (SECOND YEAR) STUDENTS OF PHYSICS, M.S. AND BIOPHYSICS

COURSE TITLE: Vibration and Waves موجات COURSE CODE:PH2121

DATE: 13/1/2021 TERM: FIRST TOTAL ASSESSMENT MARKS:100 TIME ALLOWED: 2 HOURS

# **Answer The Following Questions**

### First Question:

(25 mark)

- a) Verify that the solution  $x = (A + Bt)e^{-\frac{rt}{2m}}$  satisfies the equation  $m\ddot{x} + r\dot{x} + sx = 0$  when  $\frac{r^2}{4m^2} = \frac{s}{m}$ .
- b) Prove that the kinetic energy and potential energy of a particle executing SHM with amplitude, a, will be equal when its displacement equal  $\frac{a}{\sqrt{2}}$ .

Second Question: (25 mark)

- a) Derive the displacement, x, as a function of time, t, for a mass m oscillates under a restoring force, sx, and fractional force,  $r\dot{x}$ , and discuss the behavior of this displacement when the damping resistance term is less than stiffness term.
- b) If the equation of motion of a mechanical damped harmonic oscillator is given by  $4\ddot{x} + 8\dot{x} + 200x = 0$ . Find the damping frequency of the oscillation.

# Third Question: (25 mark)

- a) The equation of motion of a forced oscillator is given by  $mx + rx + sx = F_o e^{i\omega t}$ . Find the steady state displacement and the velocity of the given oscillator.
- b) The maximum velocity for a particle in SHM is 0.16 m/s and maximum acceleration is 0.64 m/s<sup>2</sup>. Prove that the amplitude equal 4x10<sup>-2</sup> m.

Fourth Question: (25 mark)

- a) Define the logarithmic decrement. If the normal frequency of an oscillator is 50 cycle/sec while the damping frequency is 40 cycle/sec, find the logarithmic decrement of this oscillator.
- b) Find the period of oscillation, T, for a simple pendulum of mass, m, swinging at the end of a light rigid rod of length L?

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EXAMINERS	PROF.DR. G.A.GABALLA		 

# 1969

# Tanta University Faculty of Science Physics Department

# Examination of Level 2

Physics and Material Science Programs

Course Title: Electromagnetic Course Code:
Theory I PH2151

Date:11-1-2021 1st Semester

The first question (40 marks): -

# Rewrite the following sentences, and complete them

- 1. The most common application of the cross product is.....
- 2. The electric field intensity between the parallel plates of an air capacitor equals .....
- 3. The potential is ......field, where the electric field intensity is ......field.
- 5. The physical interpretation of the divergence of the vector is described as.....
- 6. For a finite length of coaxial cable there is a field in.....
- 7. The maximum value of the rate change of the potential with distance is obtained when the direction of ...... is opposite to the direction of .........
- 8. The energy expended in moving a point charge in an electrostatic field is ...... between two points.
- 9. Any field satisfies that the closed line integral equals zero, is called...... Field.
- 10. The differential form of Gauss's law is written as ......

# The second question (40 marks):-

- a) Prove that divD for a point charge equals zero, where D the electric flux density, except at r =0.
- b) A dipole has a moment  $P = 6a_z$  nc.m.is located at the origin in free space, find the potential and the electric field intensity at the point (r = 4m,  $\theta = 20^\circ$ )

### The Third question (30 marks):

- a) Use the cylindrical coordinate system to obtain the surface area and volume of cylinder with radius a and height h.
- b) Four equal point charges, each one equals 4nc are located in free space at the corners of a square of one meter for a side, find the energy stored in that system.

# The forth question (40 marks):

- a) Given a 40 µc point charge located at the origin, find the electric flux  $\psi$  through the closed surface  $\rho=20$  cm and  $-20 \le z \le 20$  cm.
- b) A charge 40 nc is distributed uniformly on a ring with radius 2m, find the potential at the point 5m from the center of the ring and perpendicular to the plane of it.

 $\epsilon_0$  is the permittivity of free space = (8.854) \* 10<sup>-12</sup> F/m

,,,,,, with my best wishes استاذ المادة: أ.د/ سلوى سعد محمد

# 1969

# Tanta University Faculty of Science Physics Department

Examination of Level 2

Physics and Material Science Programs

Course Title: Electromagnetic
Theory I

Course Code: PH2151

Date:11-1-2021

1<sup>st</sup> Semester

The first question (40 marks): -

Rewrite the	following	contonaca		· 	.1
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المستوى الثاثي	PH2222	جامعة طنطا
شعبة الفيزياء شعبة الفيزياء الحيوية	Final Exam – First Semester	عادة القادة
Date: 30/12/2020	Total Mark=100	كلية العلوم
ا د /فاروق مصطفی المکاوي د /فاطمة الزهراء فخري فهمي	بصريات ضوئية	قسم الفيزياء

### Answer the following questions:

### First question:

a) Find the equation of motion of two wave trains with the same frequency. [15]

[15 marks]

b) Draw the diagram of fresnells biprism.

[10 marks]

### Second question:

a) Explain the formation of spectra by grating.

[15 marks]

b) Discuss Brewster's law.

[10 marks]

# Third question:

a) Explain Young's double-slit experimental.

[15 marks]

b) Draw the diagram of a nicol prism.

[10 marks]

# Fourth question:

a) Find the equation of sine wave.

[15 marks]

b) Discuss the law of Malus.

[10 marks]

Good luck



Tanta University	
Faculty of Science	
Physics Department	
Examination of Level 2	
 Physics Programs	

Course Title
Analytical mechanics
Date 31-12-2020

Course Code: PH2242

متطلب تخرج

### Question 1 (30 points):

- a) Prove that Hamilton's function H is constant and equals to the total energy of the system.
- b) Find Lagrangian and Lagrange's equation of motion for the physical pendulum.

### Question 2(40 points):

- a) A Rigid body of arbitrary shape rotates freely under zero torque. By means of Euler's equations, show that both the magnitude of angular momentum and rotational kinetic energy are constant.
- b) Find the principal moments of inertia of the cube of mass m and side a about a set of principle axes at the center of mass of the cube

### Question 3 (30 points):

- a) Find the center of mass of a uniform semicircular lamina of radius a.
- b) Consider a thin uniform rod of length a , swinging as a physical pendulum about one end . Obtain the period of oscillation, the radius of gyration about the center of mass  $k_{cm}^2$  and the position of the center of oscillation .

لجنة الممتحنين

أ.د/ سلوي سعد ١. د/على عبد السلام ابر اهيم